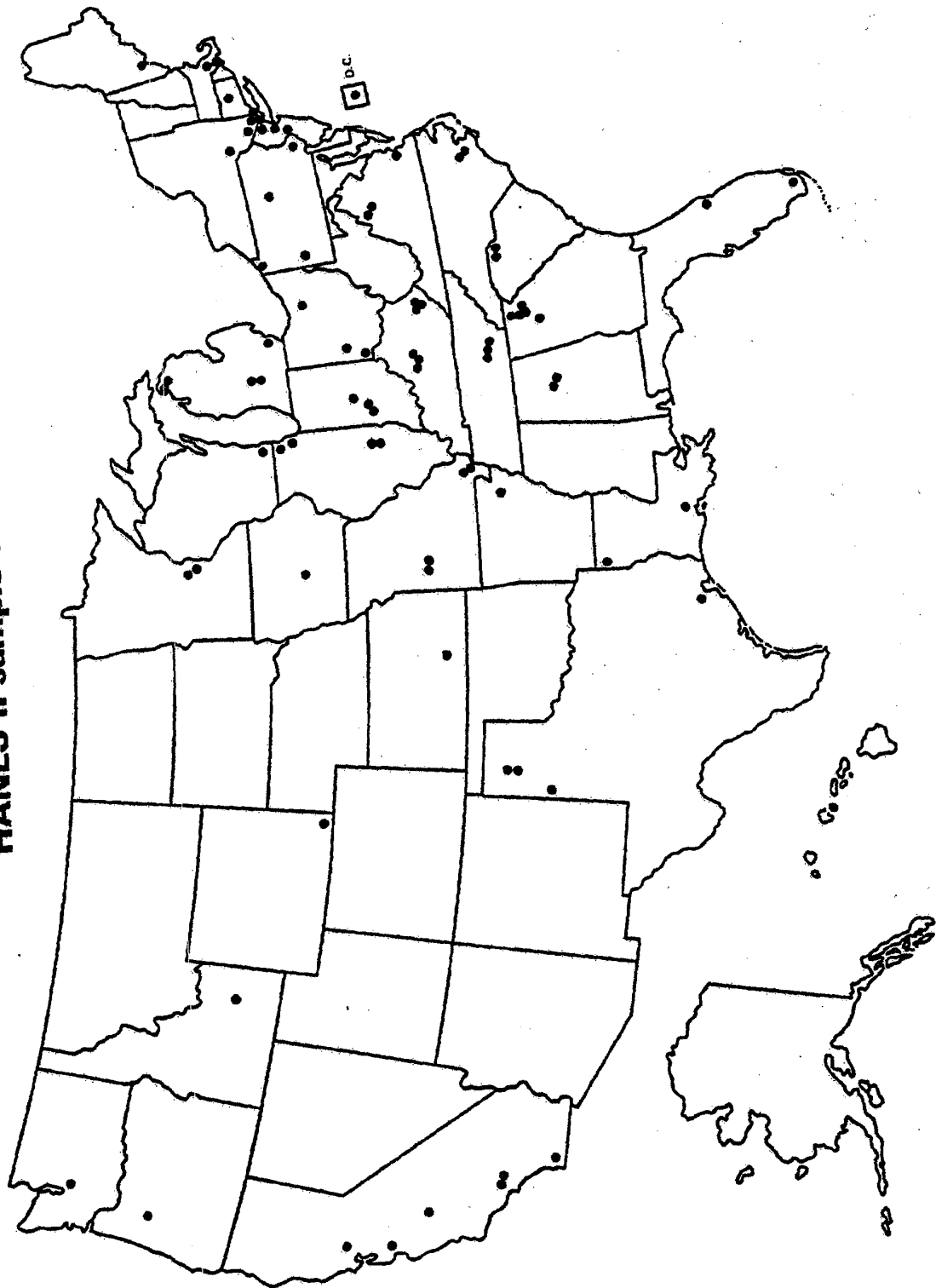


- ① Discredit other analyses
5.5 not due to gas lead
- ② Further analysis is needed
Recommene the panel

NHANES II

- Assessment of National Health Status
- February 1976 to February 1980
- 64 Sampling Sites
- 6 Months to 74 Years of Age
- 27,801 Persons Selected — 20,322 Examined
- 9,936 Venous Blood Lead Levels Determined
- Not Designed for Chronological Trend Analysis
- Apparent 37 Percent Reduction in Blood Lead

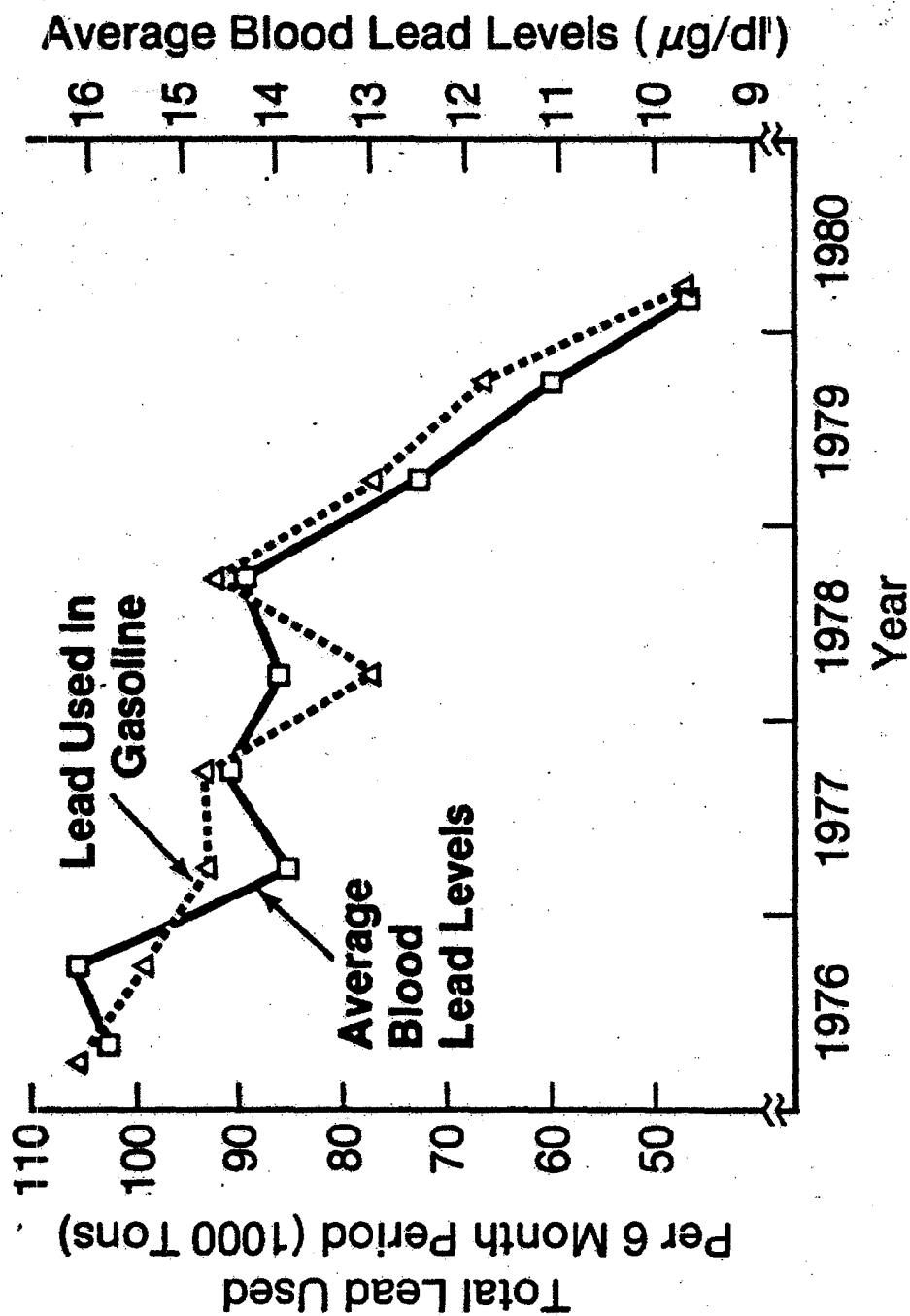
HANES II sample areas



TEH 0532622

DUP050033891

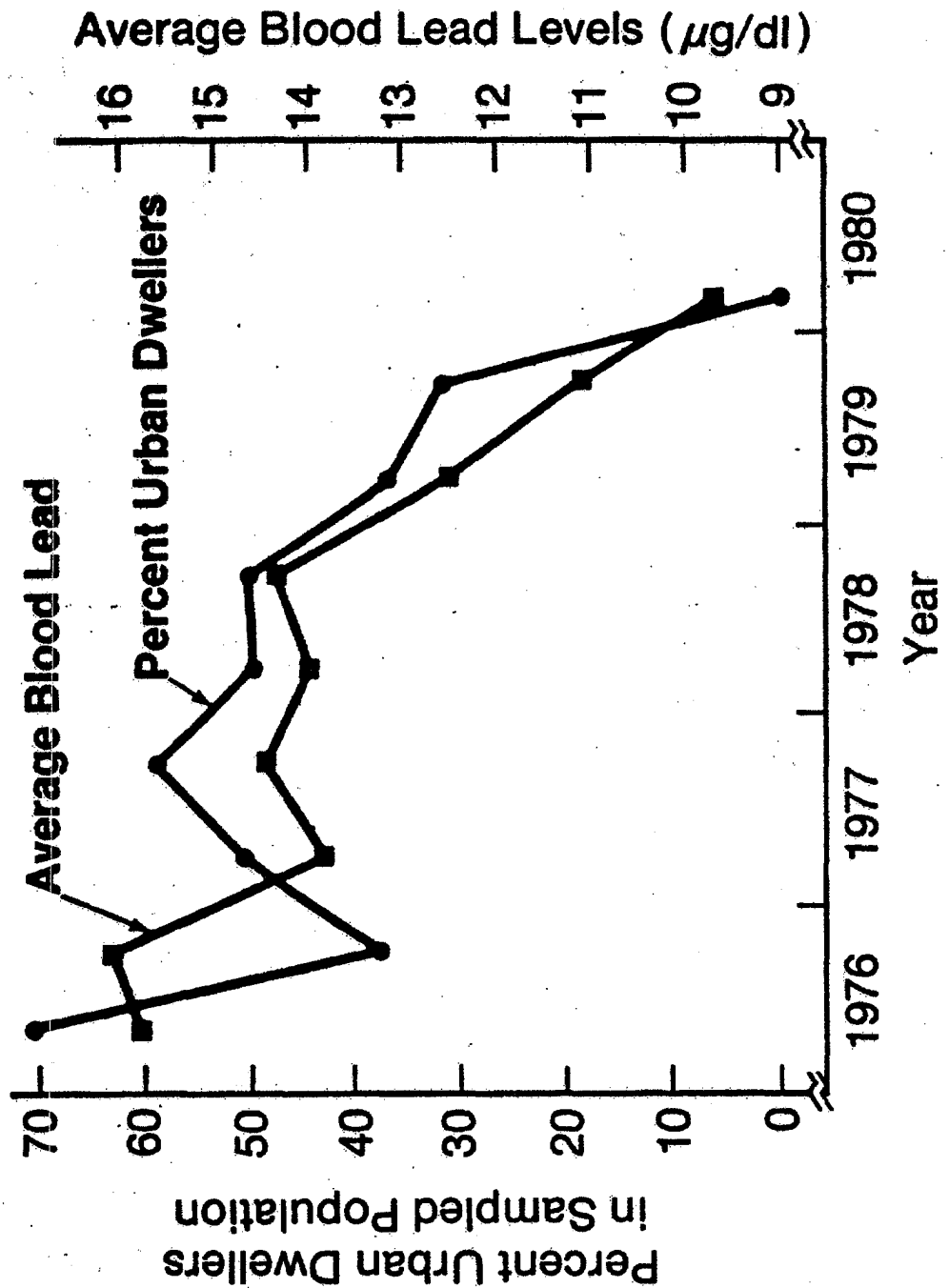
Gasoline Lead and NHANES II Blood Lead Levels (Feb. 1976 — Feb. 1980)



TEH 0532623

DUP050033892

Urban Dwellers Sampled and NHANES II Blood Lead Levels (Feb. 1976 — Feb. 1980)



TEH 0532624

DUP050033893

Identifiable Factors Potentially Influencing Blood Lead Trend

Exposure

- Air Lead from Gasoline
- Food and Beverages
- Water
- Paint
- Dust

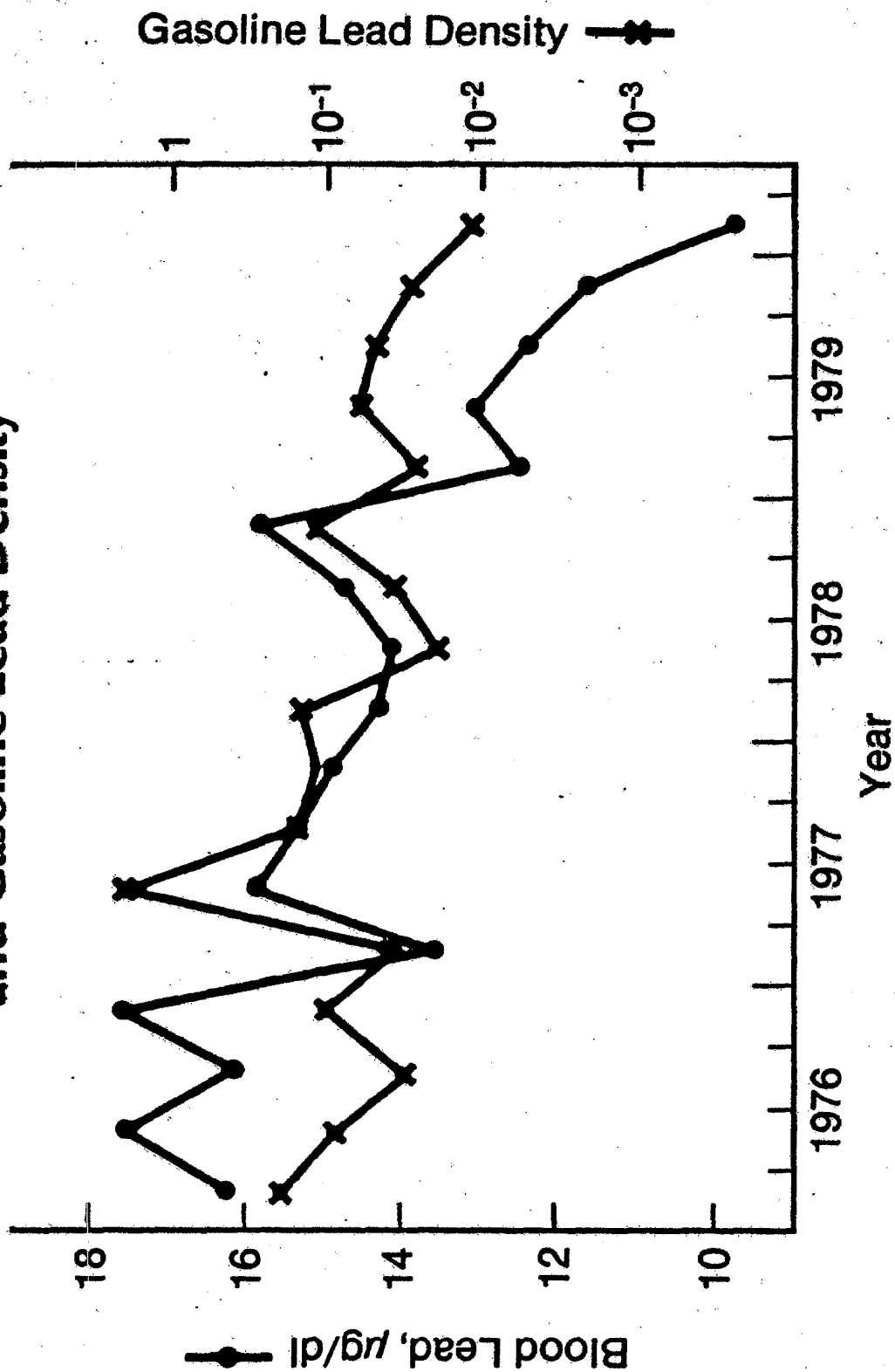
Study Design

- Caravan Itinerary
- Personal Variables
- Residence Characteristics

Study Execution

- Laboratory Analysis
- Sample Handling

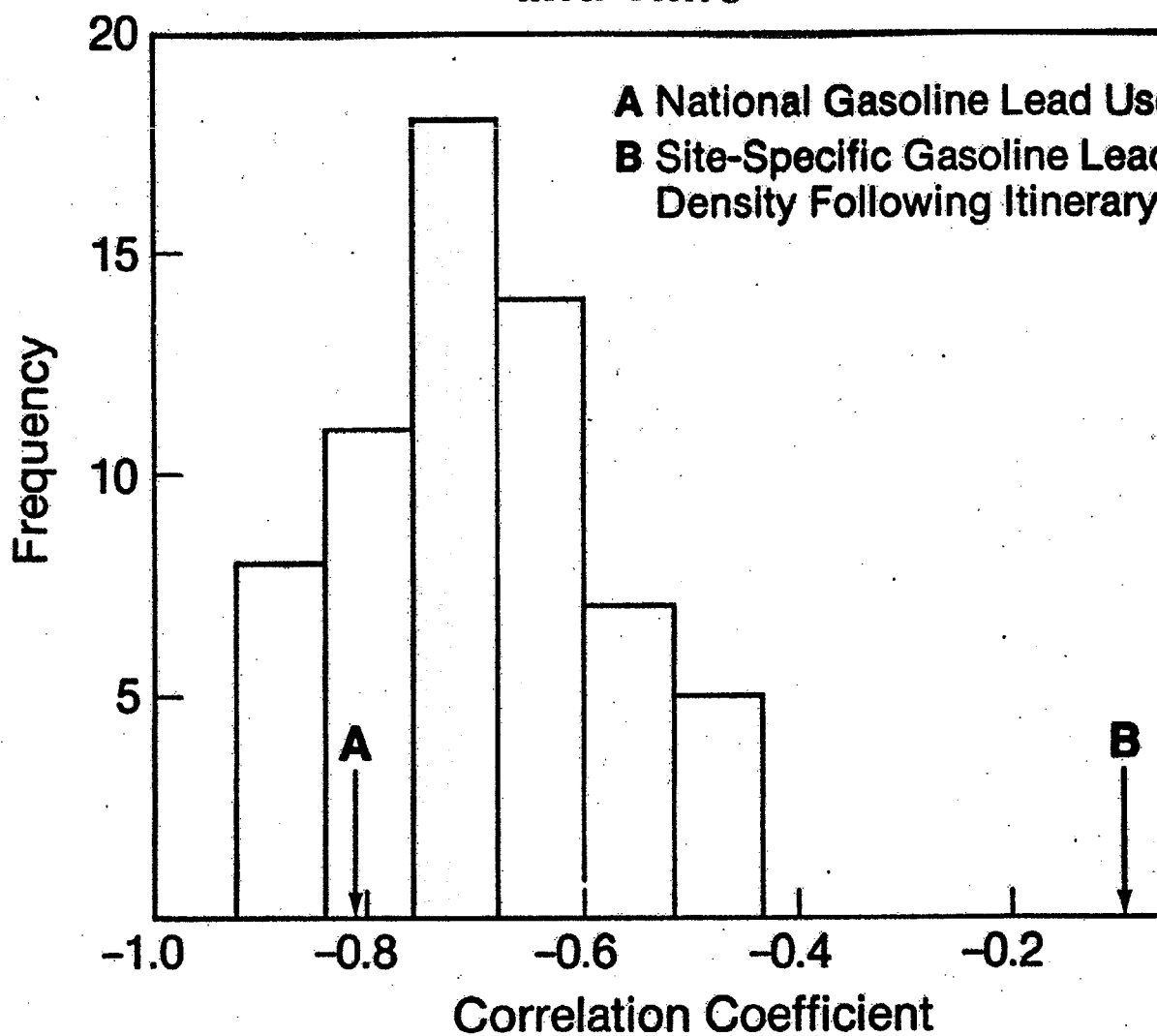
Quarterly Mean Blood Lead and Gasoline Lead Density



TEH 0532626

DUP050033895

Correlation of Gasoline Lead Density and Time



TEH 0532627

DUP050033896

Analysis Approach Addresses Two Sources of Variation

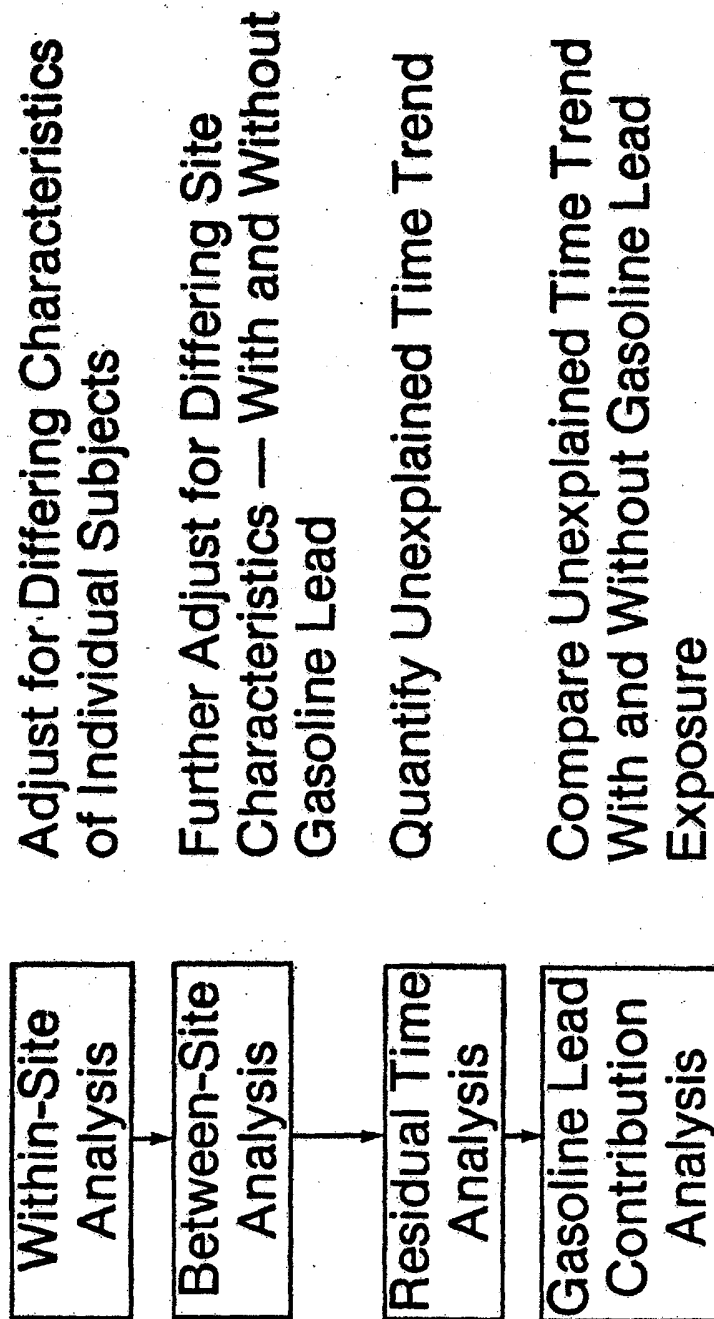
- **Within Site** — Evaluates effects of demographics that vary within a site

Exs: Age, Race, Sex, etc.

- **Between Site** — Evaluates effects of demographics that are constant within a site but vary between sites

Exs: Region, Gas Pb Exposure,
Race Site Mean

Steps in Blood Lead Trend Analysis



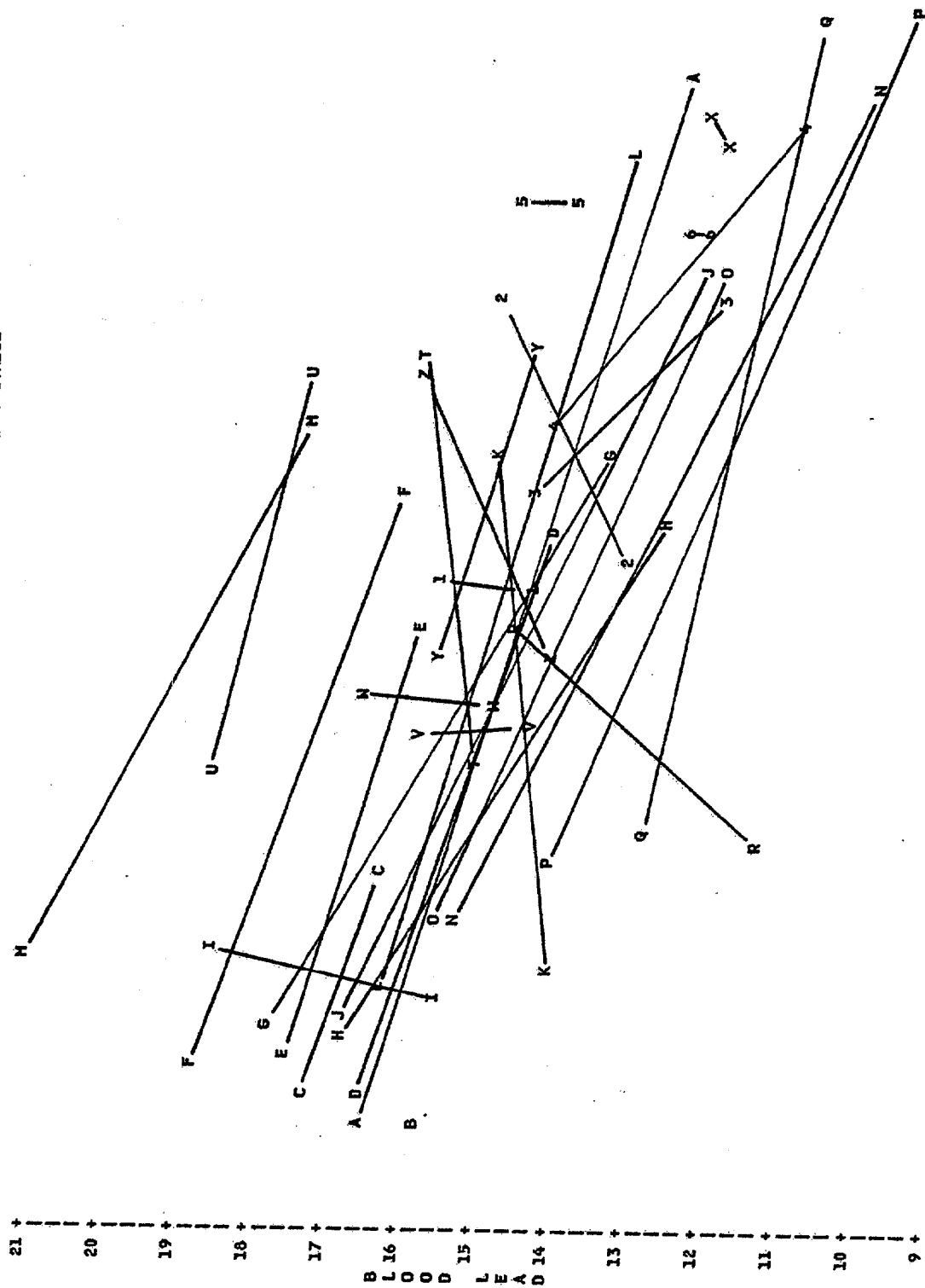
Conclusions

- National gasoline lead use is not a valid index of exposure at NHANES II sites
- Over 50% of the apparent blood lead decrease is attributable to demographics
- 5 to 10% of the apparent blood lead decrease is attributable to gasoline lead exposure
- The blood lead decrease of 0.3 to 0.6 $\mu\text{g}/\text{dl}$ attributable to gasoline lead is consistent with the observed air lead decrease
- A significant blood lead time trend remains after accounting for demographics and gasoline lead exposure

OBSERVED SITE MEAN BLOOD LEAD LABELED BY STRATA (A=1, B=2, ETC.)

153
8:35 THURSDAY, DECEMBER 1, 1983

PLOT OF BLOOD_PBMEXAM_DAT SYMBOL IS VALUE OF SYMBOL



TEH 0532631

DUP050033900

2/6/84

Dick Anderson Comments

- ① Tell me about the lead out ... what is it?
How is it used?

Differential representation in the population
↳ may be related to time

- ② Doesn't understand how SURREG works
wrt ints, zero term, etc

- ③ Anderson Simulator of split plot ANCOVA
↳ Ran into a lot of collinearity COP approach

COP claims this isn't a problem

one pass Results $\equiv$ 2 pass Results

within Site --- RLA adjusts to X_{00}
rather than

In effect he assumed $\beta_w = \beta_B$ X_{i0}

(2)

RLA Says to handle time by SAS Type I
which adj time for other effects
but doesn't adj other variables
for the time effect

This is the alternative to little
procedure --- (old SAS build up
procedure)

RLA

Procedure

All other Variable SAS Type II

Time effect last using SAS Type I

RLA — Putting time into model
also CDC/EPA is Dead
wrong ... He feels strong
about this

Key Point

TEH 0532633

DUP050033902

(3)

RDS to RDS

We need to run CBP's ANCOV model for Urban & Rural separately to see if dock is longer in Urban than in Rural

This will show CDC analysis is deficient

why is time trend the same in all demo groups

Total	5.5	
Survey	4.0	
Residual	1.5	Time 1.5 1.7
		Residual -.2

Time series problem --- wants to hear Durbin's opinion on this

what about
Box's analysis
of Kendall's data

TEH 0532634

DUP050033903

Mordchai Eyal did our km
of analysis

Partial Residuals plot

ANCOV model

$$y_{ij} = \mu + \beta_i + T_j + \theta (x_{ij} - x_{i0})$$

$$\theta = \left(\frac{\hat{A} x_{ij} = \hat{\mu}_x + \hat{\beta}_{xi} + \hat{T}_{jx}}{\Delta \hat{y}_{ij} = \hat{\mu}_y + \hat{\beta}_{yi} + \hat{T}_{jy}} \right)^{-1}$$

$$y = b_0 + b_1 x_1 + t x_t$$

$$\Delta y = b_1 \Delta x_1 + t \Delta x_t$$

when Δx_t changes

Δx_1 changes

o o Slope change from -1.001
 $\frac{t}{b_1}$

-1.004

TEH 0532635

X_{12} = % of Blacks

* % B = f (time)

or is

time = f (B)

RAA — Says we have to adj
time as well as response
for covariates

— .004

Blood Pb adj for Demo
time adj for Demo

— .001

Blood Pb adj for Demo
time unadjusted

Now
do
these
two
Compare
what's the
diff

TEH 0532636

DUP050033905

Romain Eyzell & Drake & Smith on this
also see Anderson & Bancroft
on this

$$y = b_0 + b_1 X_1 + b_2 X_2$$

$$b_2 = \frac{\Delta y \text{ (adj for } X_1\text{)}}{\Delta X_2 \text{ (adj for } X_2\text{)}}$$

$$\hat{y} = a_0 + a_1 X_1$$

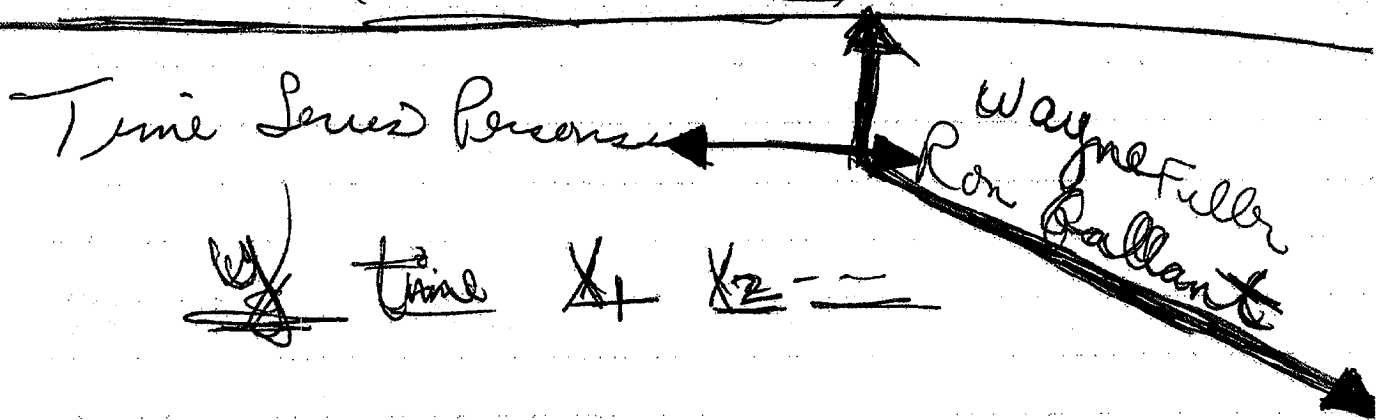
$$y - \hat{y} = k_0 + k_2 X_2$$

$$= (k_0 + k_2 X_2) - (a_0 + a_1 X_1)$$

$$= (k_0 - a_0) + (-a_1)X_1 + k_2 X_2$$

objective: Want effect of time with
covariates fixed

If some individuals were tested at successive time periods what effect would time have



$\frac{\Delta y}{\Delta t}$ if other X 's are fixed at some value
How do you estimate this?

$$\Delta y = b_0 + b_1 X(t) + b_2 t$$

$$\frac{\Delta y}{\Delta t} = b_1 \frac{dX(t)}{dt} + b_2 \approx -0.004 ?$$

$$\underline{\underline{b_2 \approx -0.001 ?}}$$

TEH 0532638

DUP050033907

$$X(t) = a + bT$$

$$y = \beta_0 + \beta_1 (a + bT) + \beta_2 T$$

$$\frac{\partial y}{\partial T} = (b + \beta_2) T$$

Report

- * RLA concerned that ady correlation not taken into acct
- * CGP found that one pass & 2 pass models give essentially the same results

Summary Design --- Theory says use it
Practice says its not that helpful

EPA should have no objection to our
use of ANCOV model since more
terms give a better description

what about putting Natl Gas Pb
and Site Specific Pb

LOCAL ?

GLOBAL ?

new approach

time series problem
∴ add someone to the panel
new gas Pb data

approach
to our
letter

∴ need to convene the panel
to consider these new
developments

TEH 0532640

DUP050033909

Time is not a causate factor

∴ need to find other variable
that were causing the
trends

{ time is a surrogate for other factors }

Let's get WHF to look into this